

# Systemic Credit Freezes in Financial Lending Networks

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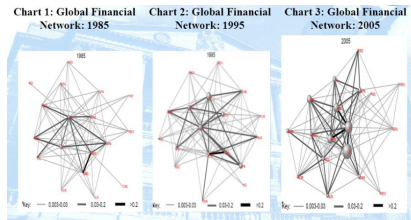
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# Motivation

- By the onset of the financial crisis of 2008, the US financial system had become **increasingly more interconnected**.
  - Complex lending relations: interbank and overnight lending, securitized lending such as repo market.
- Failure of an institution **triggers financial distress** for its counterparties or those holding its shares.
- Lenders need to also assess creditworthiness of borrowers of the borrower, and so on.
- Collapse of Lehman Brothers in September 2008 causes many institutions to lose access to credit (**credit freeze**).



# Ex-Ante vs. Ex-Post

- **Ex-Post Contagion:** the failure of one institution can cause other institutions to fail.
- **Ex-Ante Considerations:** credit freezes induced by the fear future liquidity or profitability of borrowers might be compromised because of ex-post effects.

"You have a neighbor, who smokes in bed... Suppose he sets fire to his house. You might say to yourself. . . 'I'm not gonna call the fire department. Let his house burn down. It's fine with me.' But then, of course, what if your house is made of wood? And it's right next door to his house? **What if the whole town is made of wood?**"

Ben Bernanke  
Chair of Federal Reserve Bank  
during the 2008 financial crisis

Institutions such as Goldman Sachs, Credit Suisse and Deutsche Bank had "little or no interest to renew repos [for Bear Stearns] in the face of **concerns over the dealer bank's solvency.**"

Darrell Duffie  
*How Big Banks Fail and What to do About It*  
March 27, 2010

"If we start taking novations [credit contracts for Bear Stearns], **people pull their business**, they pull their collateral, you're out of business."

Gary Cohn  
Co-President  
Goldman Sachs  
March 11, 2008

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- Introduce **risk shifts** that increase a bank's probability of default.
- Characterize the subgame perfect equilibria of lending interactions to motivate policy intervention.

## Related Literature

- Empirical evidence of credit freezes in interbank lending
  - Adrian et al. (2013); Alfonso, Kovner and Schoar (2010); Brunnermeier (2009)
- Endogenous network formation
  - Leitner (2004); Babus (2006); Blume et al. (2011)
- Single bank or pair of banks accessing credit market
  - Gorton and Metrik (2012); Diamond and Rajan (2011); Caballero and Simsek (2013)
- Ex-ante fears captured through global coordination game
  - Allen and Babus (2009); Anand et al. (2012); building off global games literature of Shin and Morris (2001)
  - No ex-post trigger (see Acemoglu, Ozdaglar and Tahbaz-Salehi (2015), Cabrales, Gale and Gottardi (2015), Elliott, Golub and Jackson (2014), Gai and Kapadia (2010), Jorian and Zhang (2010))

# Banks, Depositors, and Entrepreneurs

- ① **Entrepreneur** ( $\mathcal{E}$ ): Non-financial project with funding level  $x$  and unit capacity has production technology:

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- 2 **Depositor** ( $\mathcal{D}$ ): Competitive population of agents with access to risk-free, outside investment of rate  $r$ .
- 3 **Bank** ( $\mathcal{B}$ ): Intermediaries between depositors and clients (and each other).

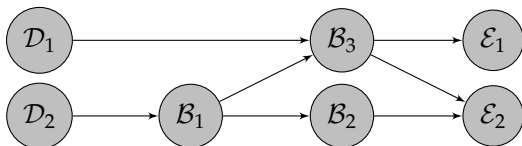


Figure: Opportunity Network  $G$ .

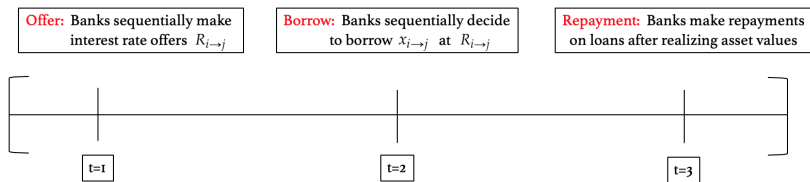
# Stages of Lending Model

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- Lending model consists of three stages:



# Repayment Equilibrium

- Take financial network  $\mathbf{G}_* = (\mathbf{R}, \mathbf{x})$  as given.
- The (realized) profit of bank  $j$  is

$$\pi_j = z_j + \sum_{k \in \mathcal{N}_{out}(j)} y_{k \rightarrow j} - \sum_{i \in \mathcal{N}_{in}(j)} R_{i \rightarrow j} x_{i \rightarrow j}$$

The diagram illustrates the components of the profit equation for bank  $j$ . It features four boxes with arrows pointing to parts of the equation:

- Balance Sheet Realization** points to  $z_j$ .
- Loans Owed** points to the term  $\sum_{i \in \mathcal{N}_{in}(j)} R_{i \rightarrow j} x_{i \rightarrow j}$ .
- Repayments Received** points to the term  $\sum_{k \in \mathcal{N}_{out}(j)} y_{k \rightarrow j}$ .
- Profit** points to the entire equation  $\pi_j = z_j + \sum_{k \in \mathcal{N}_{out}(j)} y_{k \rightarrow j} - \sum_{i \in \mathcal{N}_{in}(j)} R_{i \rightarrow j} x_{i \rightarrow j}$ .

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The diagram illustrates the components of the profit equation. A central equation is shown with four boxes pointing to its terms: 'Balance Sheet Realization' points to  $z_j$ , 'Loans Owed' points to the sum  $\sum_{i \in \mathcal{N}_{in}(j)} R_{i \rightarrow j} x_{i \rightarrow j}$ , 'Repayments Received' points to the sum  $\sum_{k \in \mathcal{N}_{out}(j)} y_{k \rightarrow j}$ , and 'Profit' points to  $\pi_j$ .

- If  $\pi_j \geq 0$ , the bank is *solvent* and makes full repayment on all its loans,  $y_{j \rightarrow i} = R_{i \rightarrow j} x_{i \rightarrow j}$ .
- If a bank defaults, it repays **nothing**. This is known as the **total failure** model, where bankruptcy liquidation proceeds are zero.

# Lending Equilibrium

- Every bank  $j$  maximizes expected upside profit minus a default cost ( $F \geq 0$ ) from bankruptcy,  $\mathbb{E}[(\pi_j)_+ - F \cdot d_j]$ , subject to the borrowing constraint.

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- **Strong** solution concept: refine subgame perfection to eliminate indifferences; trembling-hand perfect equilibrium for interest rate offers.
- Essential uniqueness: two financial networks  $\mathbf{G}_*, \mathbf{G}'_*$  are **equivalent** if  $\mathbf{x} = \mathbf{x}'$  and  $R_{i \rightarrow j} = R'_{i \rightarrow j}$  agree wherever  $x_{i \rightarrow j} > 0$ .



## Strong Equilibrium Properties

- Every opportunity network  $\mathbf{G}$  has a strong lending equilibrium in pure strategies.

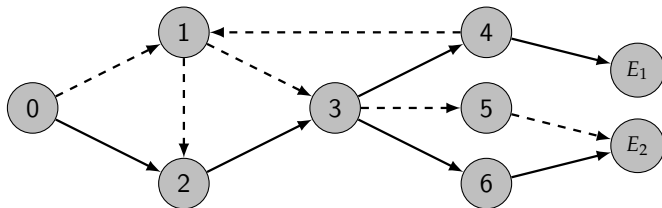


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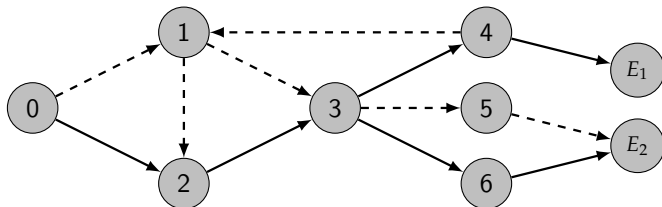


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- Financial network is a *directed-tree*.

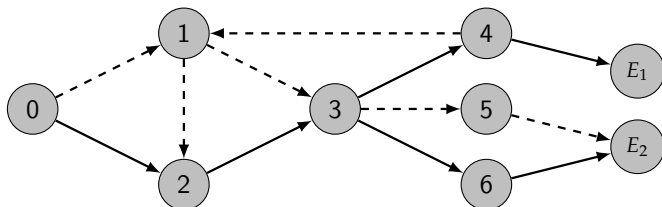
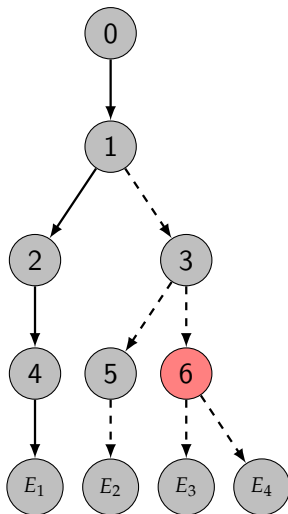


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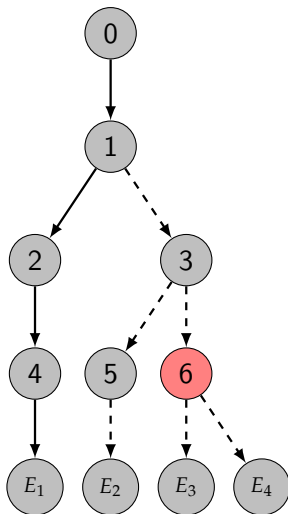
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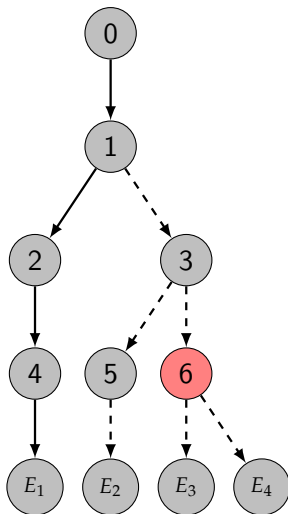
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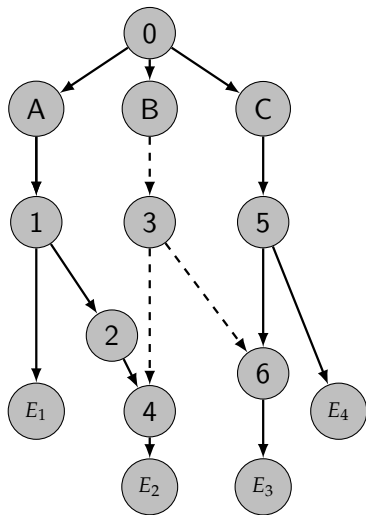


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- If  $\mathbf{G}$  is a directed tree, and assets are independently distributed, then any risk shift induces only simple freezes.

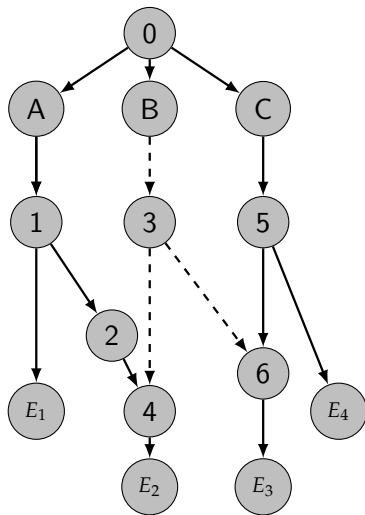


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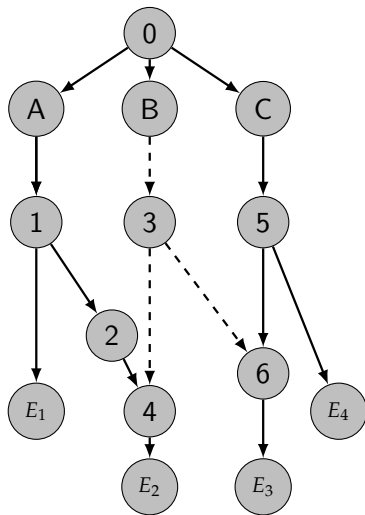
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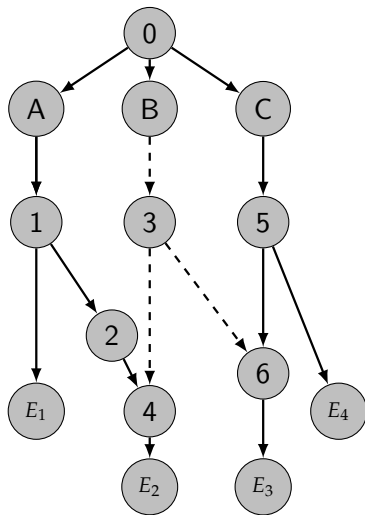


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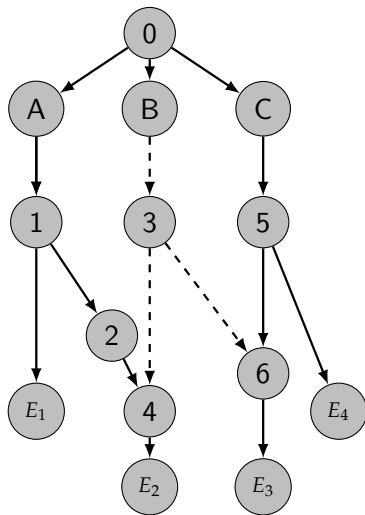
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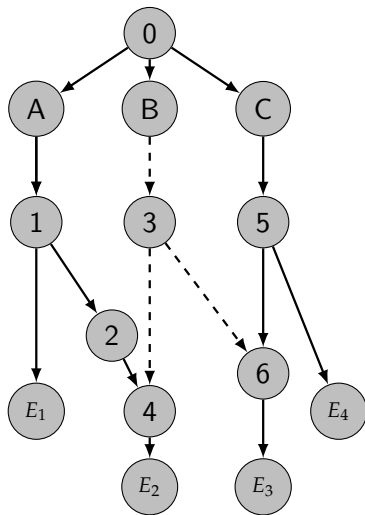
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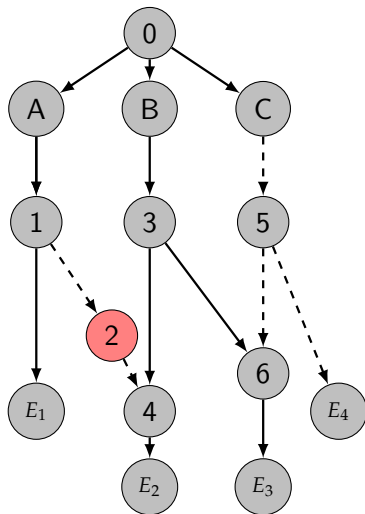
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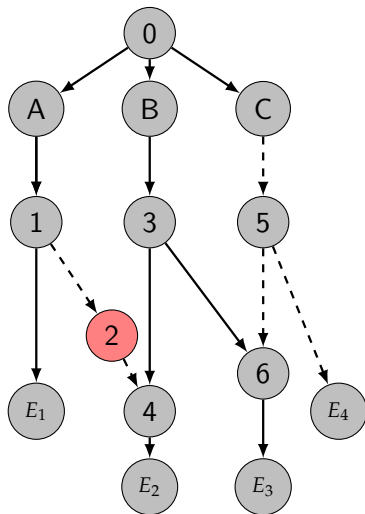
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- Branch C has two clients as opposed to one, so branch C can compete with branch B over  $E_3$ .

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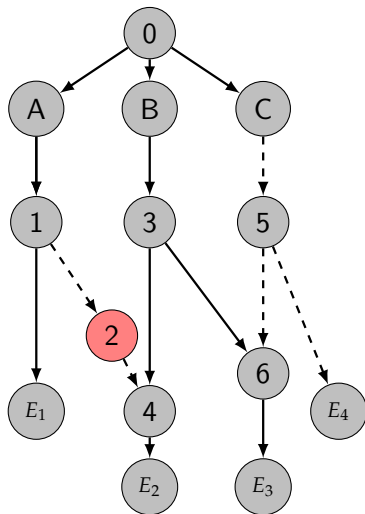
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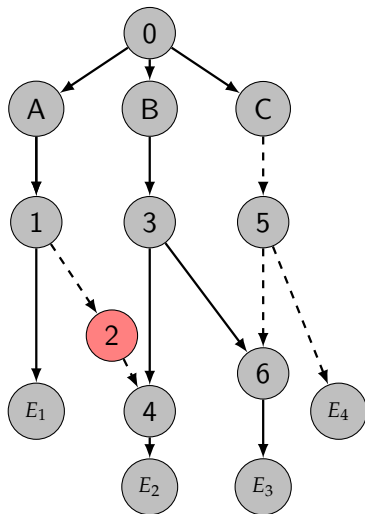
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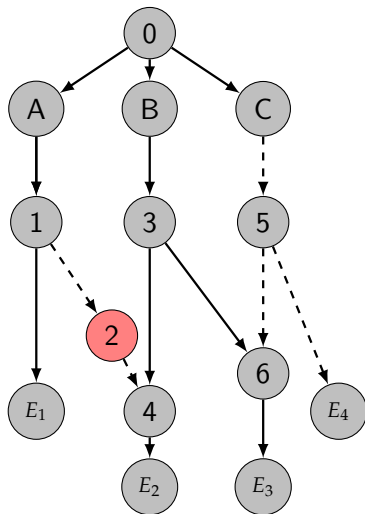
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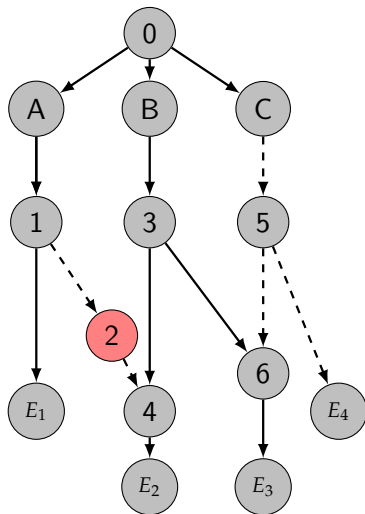


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- Profits from client  $E_4$  not sufficient to compensate for bank 5's risk.

# Central Bank Policy

- Central bank has a budget  $B$  and can implement **asset purchases** (positive risk shifts) or **discount window** (lender-of-last-resort) policies.
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- Optimal policy: **maximize** total lending to entrepreneurs.

# Main Policy Findings

- For freezes in the chain, an untargeted policy does **no worse** than a targeted policy.
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- After a shock, we see total lending decrease by  $\Delta > 0$  from a **simple freeze**; want to implement an inexpensive policy to restore lending:
  - Always set  $\epsilon_i = 0$  and  $B_i = 0$  if bank  $i$  did not lose credit.
  - This policy is relatively cheap (i.e.,  $B \leq \Delta$ ) and strictly cheaper than untargeted policy (if not in the chain).



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  - This policy is relatively cheap (i.e.,  $B \leq \Delta$ ) and strictly cheaper than untargeted policy (if not in the chain).
- When the freeze is complex, may be better to target banks **unaffected** by freezes.

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- If policymakers are misinformed of the financial network, targeting policies can **exacerbate** the problem.
- Evidence for a policy of **decreasing** some asset prices, which could lower interest rates.

# Conclusion

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- Monetary policy can be effective if the cause of the freezes is well-understood. Policy becomes increasingly more complex as financial system becomes more complex.
- **Future work**: investigate credit freezes in repo or interbank lending market, can we characterize optimal policy?